

COURSE CALENDAR

MATHEMATICAL METHODS FOR THE PHYSICAL SCIENCES

SPRING SEMESTER 2025

https://www.phys.uconn.edu/~rozman/Courses/P2400_25S/

Last modified: May 2, 2025

The chapter, section, and the page numbers below refer to the following editions of the course textbook: **HC** – Hung Cheng, *Advanced Analytic Methods in Applied Mathematics, Science, and Engineering*, Luban Press, 2006;

TUESDAY	THURSDAY
<div>Jan 21st</div> <div>Lecture 1</div> <p>Computer algebra systems: a very short introduction to <i>Mathematica</i> (handout)</p>	<div>Jan 23rd</div> <div>Lecture 2</div> <p>Differentiating under the integral sign (handout) Homework 1 assigned: due on 1/30/2025</p>
<div>Jan 28th</div> <div>Lecture 3</div> <p>Gamma function, $\Gamma(x)$; Gaussian integrals; (handout)</p>	<div>Jan 30th</div> <div>Lecture 4</div> <p>Beta function, $B(x, y)$ (handout) Homework 2 assigned: due on 2/6/2025</p>
<div>Feb 4th</div> <div>Lecture 5</div> <p>Complex numbers, HC, Ch. 2, pp. 35–41 Euler’s formula (handout) Coordinate and polar form of complex numbers; powers of complex numbers</p>	<div>Feb 6th</div> <p>Classes cancelled due to snow storm</p>
<div>Feb 11th</div> <div>Lecture 6</div> <p>Complex functions. Derivative of a complex function. Analytic functions. Cauchy-Riemann conditions. HC, Ch. 2, pp. 41–47. Homework 3 assigned: due on 2/18/2025</p>	<div>Feb 13th</div> <div>Lecture 7</div> <p>Cauchy-Riemann conditions, II. Integrals of complex functions. Cauchy’s integral theorem (handout).</p>
<div>Feb 18th</div> <div>Lecture 8</div> <p>Midterm I assigned; Due on 2/25/2025 Deformation of integration contours. HC, Ch. 2, pp. 49–50. Applications of Cauchy’s theorem, (handout) Cauchy’s integral formula. HC, Ch. 2, pp. 51–53.</p>	<div>Feb 20th</div> <div>Lecture 9</div> <p>Applications of Cauchy’s theorem, II (handout) Cauchy’s integral formula, II. HC, Ch. 2, pp. 51–53.</p>
<div>Feb 25th</div> <div>Lecture 10</div> <p>Liouville theorem. (handout) Taylor and Laurent series. HC, Ch. 2, pp. 53–57. Poles, residues, Cauchy residue theorem. HC, Ch. 2, pp. 58–59.</p>	<div>Feb 27th</div> <div>Lecture 11</div> <p>Evaluating real integrals (handout); HC, Ch. 2, pp. 59–70. Homework 4 assigned: due on 3/6/2025</p>

TUESDAY		THURSDAY	
Mar 4th	Lecture 12 Method of residues, II. HC, Ch. 2, pp. 59–70.	Mar 6th	Lecture 13 Method of residues, III. Higher-order poles. Constructing “terrible” integrals (handout) Homework 5 assigned: due on 3/13/2025
Mar 11th	Lecture 14 Laplace method for differential equations (handout)	Mar 13th	Lecture 15 Laplace method for differential equations, II (handout) Harmonic oscillator in quantum mechanics (handout). Homework 6 assigned: due 3/27/2025
Mar 18th	Spring Recess – No classes	Mar 20th	Spring Recess – No classes
Mar 25th	Lecture 16 Laplace method for integrals (handout).	Mar 27th	Lecture 17 Midterm II assigned; Due on 4/3/2025 Laplace method for integrals, II (handout).
Apr 1st	Lecture 18 Laplace method for integrals, III (handout). Moving maxima. Asymptotics for Gamma function.	Apr 3rd	Lecture 19 Integration of fast-oscillating functions. The method of stationary phase (handout). Homework 7 assigned: due on 4/10/2025
Apr 8th	Lecture 20 Integration of fast-oscillating functions, II. Integration by parts. (handout).	Apr 10th	Lecture 21 Review of Midterm II. Integration of fast-oscillating functions, III (handout). Homework 8 assigned: due on 4/17/2025
Apr 15th	Lecture 22 Perturbation methods I. Regular perturbations (handout).	Apr 17th	Lecture 23 Perturbation methods II. Singular perturbations (handout). Homework 9 assigned: due on 5/1/2025
Apr 22nd	Lecture 24 Review of HW8 Perturbation methods III. Boundary layers (handout).	Apr 24th	Lecture 25 Boundary layers, II (handout).
Apr 29th	Lecture 26 Midterm III assigned Due on Thu, May 8, 2025, 6 pm – 8 pm, in GS-119 Weakly-nonlinear oscillators. The method of averaging. (handout).	May 1st	Lecture 27 The method of averaging, II (handout).
May 6th	Week of Finals	May 8th	Week of Finals