

Physics 1501

Fall 2008

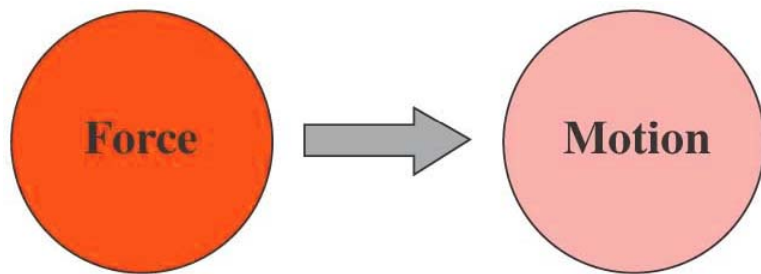
**Mechanics, Thermodynamics,
Waves, Fluids**

Lecture 8: Force and Motion II

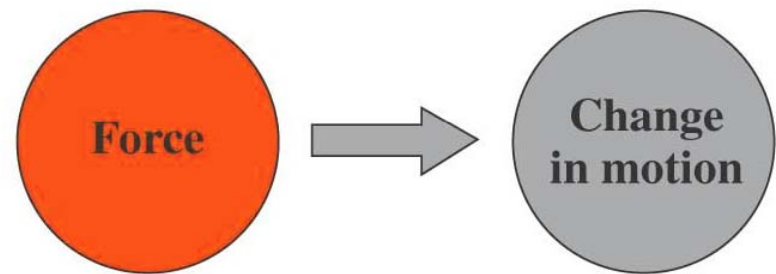
Recap: what causes motion?

- That's the wrong question!
 - The ancient Greek philosopher Aristotle believed that forces—pushes and pulls—caused motion.
 - The Aristotelian view prevailed for some 2000 years.
 - Galileo and Newton discovered the correct relation between force and motion.
 - Force causes not motion itself but *change* in motion.

The Aristotelian view



The Newtonian view



Recap: Newton's laws of motion

- **Newton's first law of motion:** A body in uniform motion remains in uniform motion, and a body at rest remains at rest, unless acted on by a nonzero net force.
- **Newton's second law of motion:** The rate at which a body's momentum changes is equal to the net force acting on the body:

$$\vec{F}_{\text{net}} = \frac{d\vec{p}}{dt} \quad (\text{Newton's 2}^{\text{nd}} \text{ Law})$$

- **Newton's third law of motion:** If object A exerts a force on object B, then object B exerts an oppositely directed force of equal magnitude on A.

Recap: the first law

- The first law is a special case of the second law, when there's no net force acting on an object.
 - In that case the object's motion doesn't change.
 - If at rest it remains at rest.
 - If in motion, it remains in uniform motion.
 - Uniform motion is motion at constant speed in a straight line.
 - Thus the first law shows that uniform motion is a natural state, requiring no explanation.

Recap: the second law

- The second law tells quantitatively how force causes changes in an object's “quantity of motion.”
 - Newton defined “quantity of motion,” now called **momentum**, as the product of an object's mass and velocity:

$$\dot{p} = m\dot{v}$$

- Newton's second law equates the rate of change of momentum to the net force on an object:

$$\mathbf{F} = \frac{d\mathbf{p}}{dt}$$

- When mass is constant, Newton's second law becomes

$$\mathbf{F} = \frac{d(m\mathbf{v})}{dt} = m \frac{d\mathbf{v}}{dt} = m\mathbf{a}$$

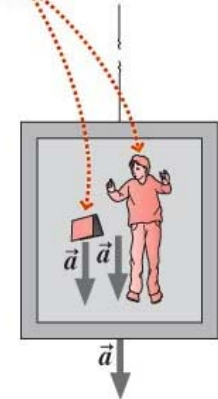
Mass, weight, and gravity

- **Weight** is the force of gravity on an object:

$$\vec{w} = m\vec{g}$$

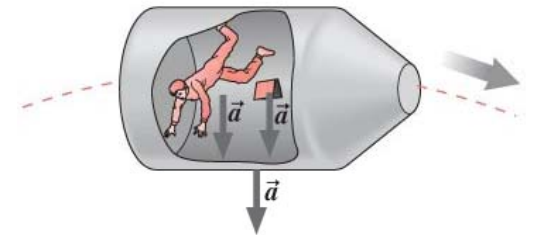
- Mass doesn't depend on the presence or strength of gravity.
- Weight depends on gravity, so varies with location:
 - Weight is different on different planets.
 - Near Earth's surface, \vec{g} has magnitude 9.8 m/s^2 or 9.8 N/kg , and is directed downward.
- All objects experience the same gravitational acceleration, regardless of mass.
 - Therefore objects in **free fall**—under the influence of gravity alone—appear “weightless” because they share a common accelerated motion.
 - This effect is noticeable in orbiting spacecraft
 - because the absence of air resistance means gravity is the only force acting.
 - because the apparent weightlessness continues indefinitely, as the orbit never intersects Earth.

In a freely falling elevator on Earth, the book and person seem weightless because they fall with the same acceleration as the elevator.



Earth
(a)

Like the elevator in (a), an orbiting spacecraft is falling toward Earth, and because its occupants also fall with the same acceleration, they experience apparent weightlessness.



(b)

Example

- A 740-kg elevator accelerates upward at 1.1 m/s^2 , pulled by a cable of negligible mass. Find the tension force in the cable.

- INTERPRET The object of interest is the elevator; the forces are gravity and the cable tension.

- DEVELOP Newton's law reads

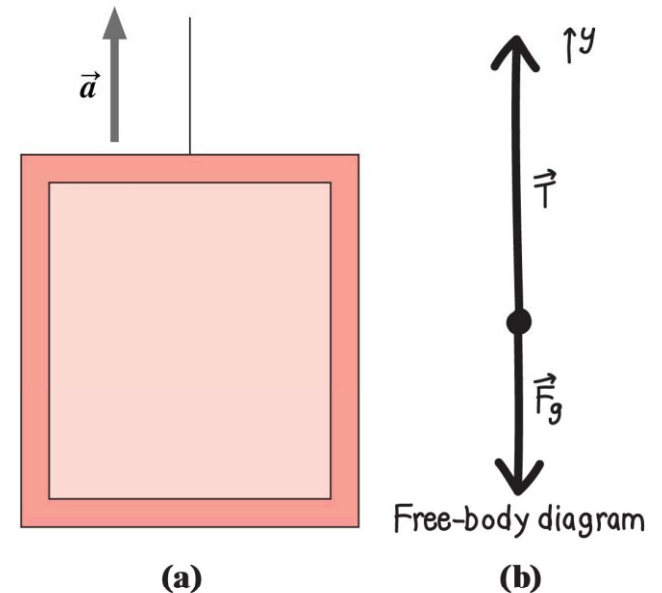
$$\vec{F}_{\text{net}} = \vec{T} + \vec{F}_g = m\vec{a}$$

- EVALUATE In a coordinate system with y axis upward, Newton's law reads $T_y + F_{gy} = ma_y$.

Solving gives

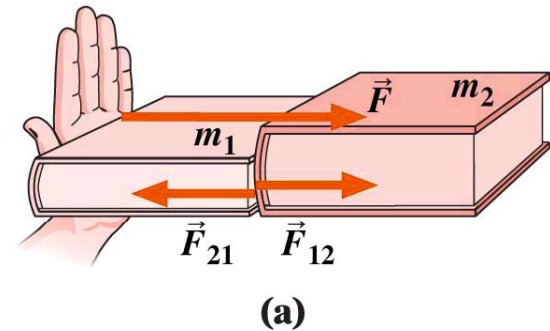
$$T = m(a_y + g) = 8.1 \text{ kN}$$

- ASSESS Makes sense; look at some special cases. When $a = 0$, $T = mg$ and the cable tension balances gravity. When $T = 0$, $a = -g$, and the elevator falls freely.

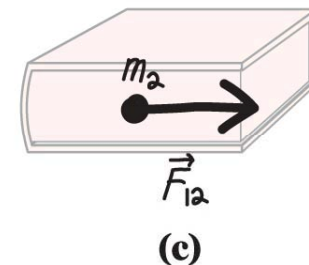
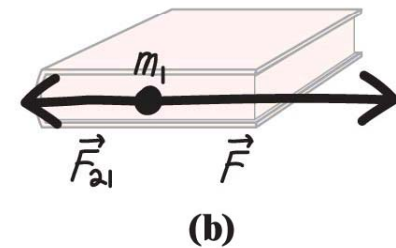


Newton's third law

- Forces come in pairs.
 - If object A exerts a force on object B, then object B exerts an oppositely directed force of equal magnitude on A.
 - Obsolete language: “For every action there is an equal but opposite reaction.”
 - Important point: The two forces always act on *different* objects; therefore they can't cancel each other.



- Example:
 - Push on book of mass m_1 with force \vec{F} .
 - Note third-law pair \vec{F}_{21} and \vec{F}_{12} .
 - Third law is necessary for a consistent description of motion in Newtonian physics.



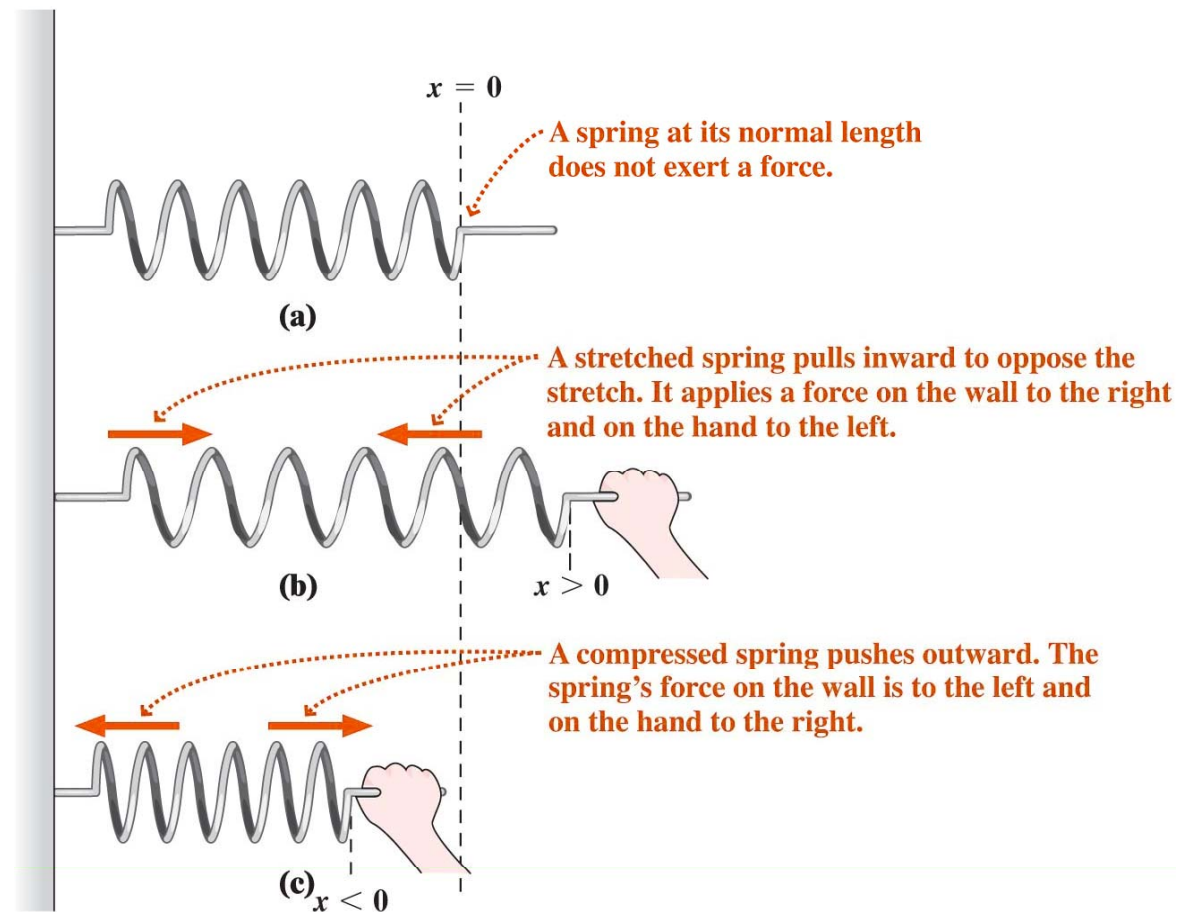
question



- The figure shows two blocks with two forces acting on the pair. Is the net force on the larger block (A) less than 2 N, (B) equal to 2 N, or (C) greater than 2 N?

Spring forces

- A stretched or compressed spring produces a force proportional to the stretch or compression from its equilibrium configuration: $F_{\text{sp}} = -kx$.
- The spring force is a restoring force because its direction is opposite that of the stretch or compression.
- Springs provide convenient devices for measuring force.



Summary

- In Newtonian physics, force—a push or pull—causes not motion itself but *change* in motion.
 - Newton's three laws are
 - **First law:** A body in motion remains in uniform motion, and a body at rest remains at rest, unless acted on by a nonzero net force.
 - **Second law:** The rate at which a body's momentum changes is equal to the net force acting on the body:
$$\vec{F} = \frac{d\vec{p}}{dt}; \text{ for constant mass, } \vec{F} = m\vec{a}$$
 - **Third law:** If object A exerts a force on object B, then object B exerts an oppositely directed force of equal magnitude on A.
- Physicists recognize three fundamental forces.
- An object's **weight** is the force that gravity exerts on it.